

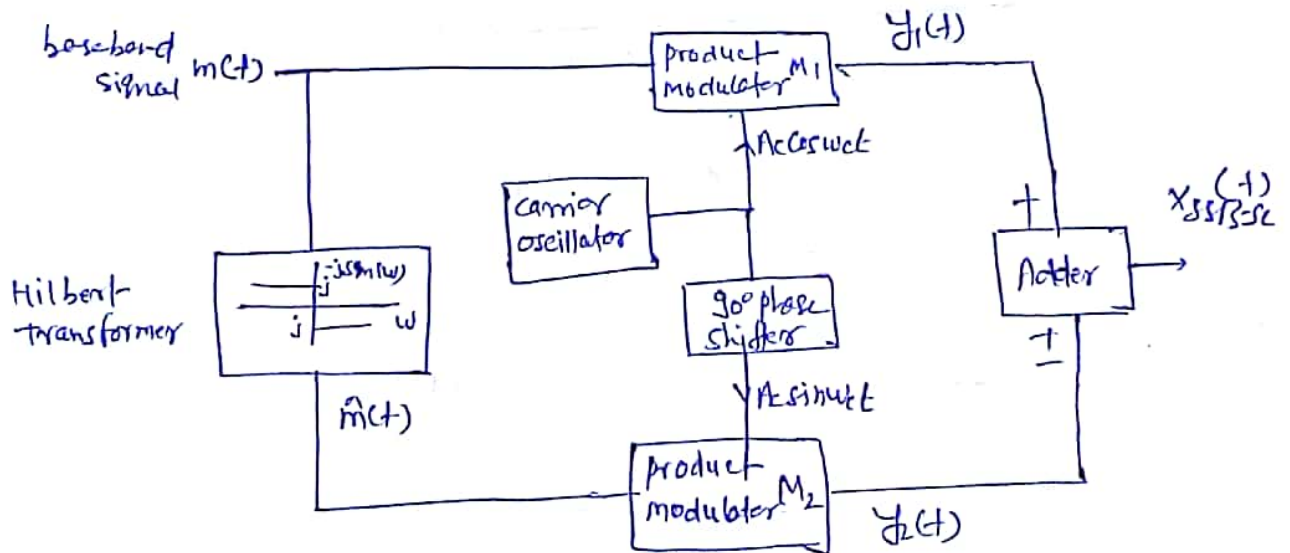
Branch:- IVth sem (CS & IT)

subject:- Principle of communication systems

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Q.1 Explain the phase Discrimination method for SSB-SC generation & draw the frequency spectrum.

Ans:-



→ This block diagram shows the method of SSB-SC generation. This system uses two balanced modulators M_1 & M_2 & two 90° phase shifter network.

Working:- The baseband signal $m(t)$ applied directly to the product modulator M_1 & through Hilbert transformer to the product modulator M_2 . Hence we get the Hilbert transform $\hat{m}(t)$ at the opp of Hilbert transformer. The output of carrier oscillator is applied to $\cos wt$ to modulator M_1 where as it passed through a 90° phase shifter and applied to modulator M_2 .

$$\text{output of } M_1 = m(t) \cdot A_c \cos wt = y_1(t)$$

$$\text{output of } M_2 = \hat{m}(t) \cdot A_c \sin wt = y_2(t)$$

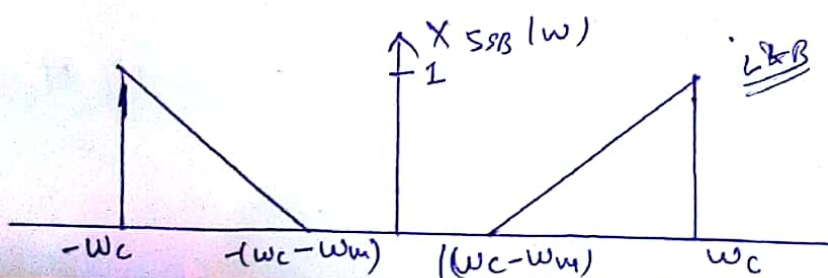
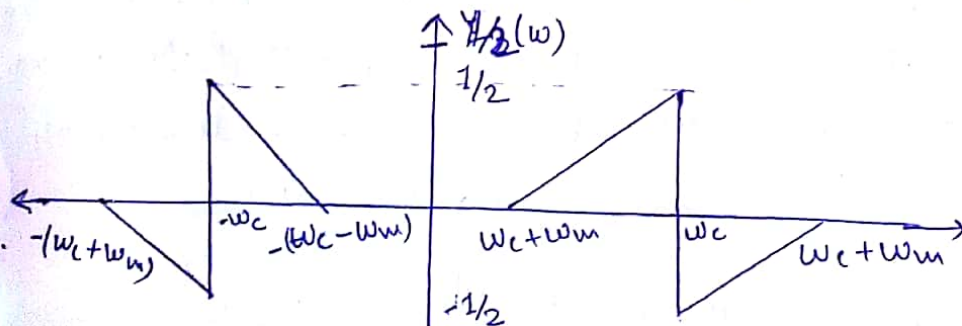
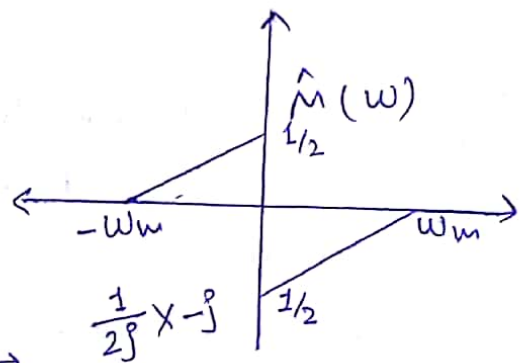
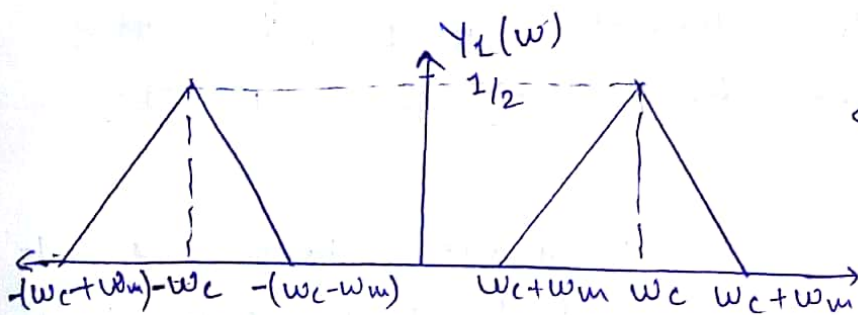
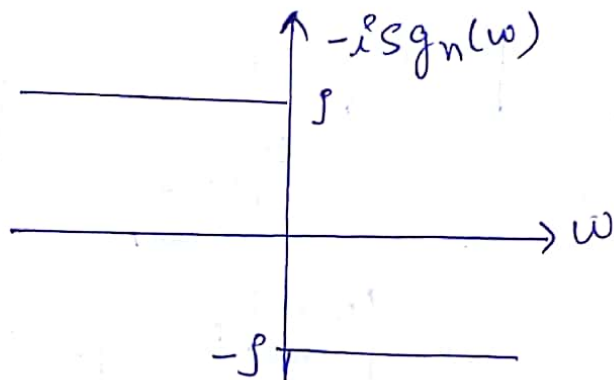
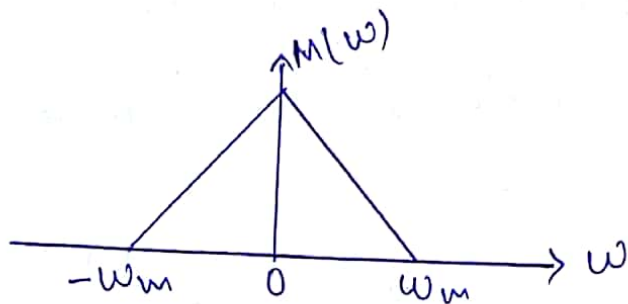
The output of M_1 & M_2 are applied to an adder. so the opp of adder

$$\Rightarrow x_{SSB-SC}(t) = m(t) \cos wt \pm \hat{m}(t) \sin wt$$

Frequency spectrum of SSB-SC signal:-

$$y_1(t) = m(t) \cos \omega_c t \xrightarrow{\text{F.T.}} \frac{1}{2} [M(\omega + \omega_c) + M(\omega - \omega_c)]$$

$$y_2(t) = \hat{m}(t) \sin \omega_c t \xrightarrow{\text{F.T.}} \frac{1}{2j} [\hat{M}(\omega - \omega_c) - \hat{M}(\omega + \omega_c)]$$



Q.2:- An angle modulated signal is given by $x_c(t) = 6 \cos[2\pi 10^7 t + 0.2 \sin 10^4 \pi t]$

- (i) If $x_c(t)$ is phase modulated signal with $k_p = 5 \text{ r/v}$
(ii) If $x_c(t)$ is frequency modulated signal with $k_f = 5 \times 10^2 \text{ Hz/v}$
then determine the baseband signal $m(t)$.

$$x_c(t) = A \cos[\omega_c t + \beta \sin \omega_m t]$$

$$\beta = \begin{cases} k_p V_m & \text{for PM} \\ \frac{k_f V_m}{\omega_m} & \text{for AM} \end{cases}$$

$$\omega_m = 10^4 \pi = 2\pi f_m$$

$$k_p V_m = 0.2$$

given $k_p = 5$

$$V_m = \frac{0.2}{5} = \frac{2}{50} = \frac{1}{25} = 0.04$$

so $m(t) = V_m \sin \omega_m t$

$$= 0.04 \sin(10^4 \pi t) \quad \text{Ans. (i)}$$

$$\therefore \beta = \frac{k_f V_m}{\omega_m}$$

$$= \frac{5 \times 10^2 \times V_m}{10^4 \pi} = 0.2$$

$$V_m = \frac{0.2 \times 10^4 \pi}{5 \times 10^2} = \frac{20 \pi}{5} = 4\pi$$

$m(t) = V_m \cos \omega_m t$ for FM

$$m(t) = 4\pi \cos(10^4 \pi t)$$

Ans (ii)

Q.3 Explain the sampling theorem, Compare the Ideal, Natural and Flat Top sampling.

Ans:- Sampling Theorem:- Statement of sampling theorem can be given in two parts as:-

- (i) A band limited signal of finite energy, which has no frequency component higher than f_m Hz, is completely described by its sample values at uniform intervals less than or equal to $\frac{1}{2f_m}$ second apart.
- (ii) A band limited signal of finite energy, which has no frequency component higher than f_m Hz, may be completely recovered from knowledge of its samples taken at the rate of $2f_m$ samples per second.

Proof of Sampling Theorem:-

Let a continuous time signal $x(t)$ whose spectrum is band limited to f_m Hz. This means that signal has no freq. component beyond f_m Hz. So the $X(\omega)$ is zero for $|\omega| > \omega_m$

$$X(\omega) = 0 \quad \text{for } |\omega| > \omega_m$$

$$\omega_m = 2\pi f_m$$

Figure (1) show continuous time signal $x(t)$. Let $X(\omega)$ be Fourier transform of figure (2). Sampling of $x(t)$ at a rate of f_s Hz may be achieved by multiplying $x(t)$ by an impulse train $S_{T_s}(t)$. This impulse train consists of unit impulses ~~and~~ repeating periodically every T_s second, where $T_s = 1/f_s$. Figure (3) show the impulse train. The multiplication results in the sampled signal $g(t)$. in figure (4).

$$g(t) = x(t) \cdot S_{T_s}(t)$$

$s(t)$ is a periodic signal with period T_s , it can be expressed as Fourier series. So

$$s(t) = \frac{1}{T_s} \left[1 + 2\cos\omega_s t + 2\cos 2\omega_s t + 2\cos 3\omega_s t + \dots \right]$$

$$\omega_s = \frac{2\pi}{T_s} = 2\pi f_s$$

So

$$g(t) = \frac{1}{T_s} \left[x(t) + 2x(t)\cos\omega_s t + 2x(t)\cos 2\omega_s t + 2x(t)\cos 3\omega_s t + \dots \right]$$

To obtain $G(\omega)$, the Fourier transform of $g(t)$, we will have to take Fourier transform of right hand side.

Fourier transform of $x(t)$ is $X(\omega)$.

Fourier transform of $2x(t)\cos\omega_s t$ is $[X(\omega - \omega_s) + X(\omega + \omega_s)]$

Fourier transform of $2x(t)\cos 2\omega_s t$ is $[X(\omega - 2\omega_s) + X(\omega + 2\omega_s)]$ and so on.

So the

$$G(\omega) = \frac{1}{T_s} \left[X(\omega) + X(\omega - \omega_s) + X(\omega + \omega_s) + X(\omega - 2\omega_s) + X(\omega + 2\omega_s) + X(\omega - 3\omega_s) + X(\omega + 3\omega_s) + \dots \right]$$

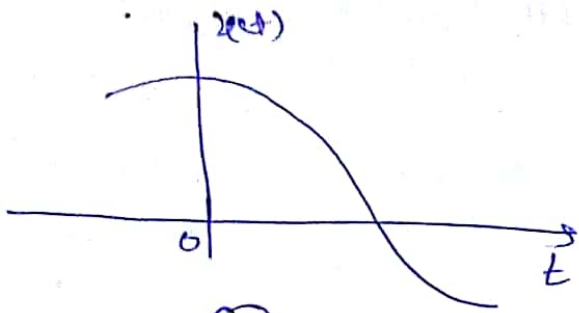
$$G(\omega) = \frac{1}{T_s} \sum_{n=-\infty}^{\infty} X(\omega - n\omega_s)$$

So it is clear that the spectrum $G(\omega)$ consists of $X(\omega)$ repeating periodically with period $\omega_s = \frac{2\pi}{T_s}$ rad/sec or $f_s = 1/T_s$ Hz.

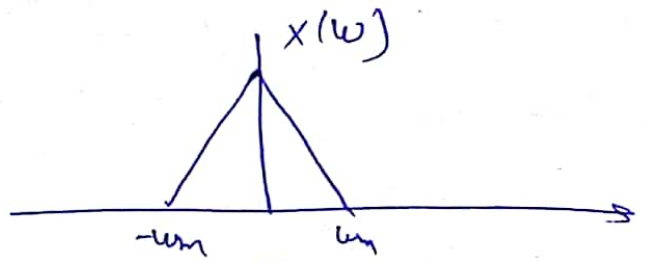
Now if we have to reconstruct $x(t)$ from $g(t)$, we must be able to recover $X(\omega)$ from $G(\omega)$. This is possible if there is no overlap between successive cycles of $G(\omega)$. So this requires that

$$f_s \geq 2f_m. \text{ But the sampling interval } T_s = 1/f_s$$

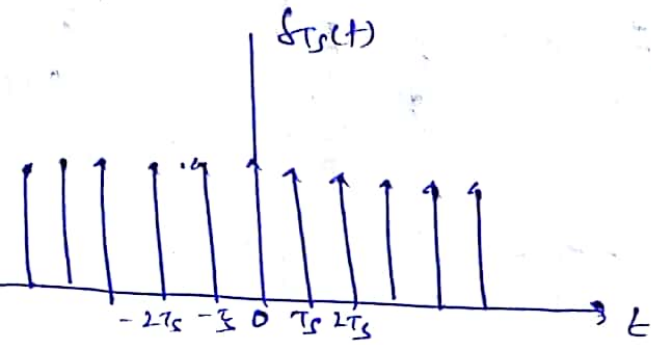
$$\text{So } T_s < 1/2f_m$$



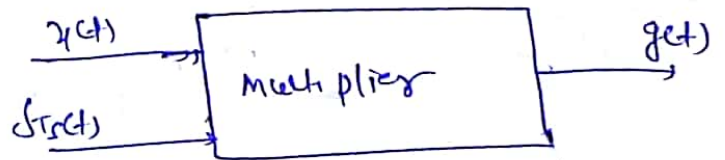
① Continuous time signal $x(t)$



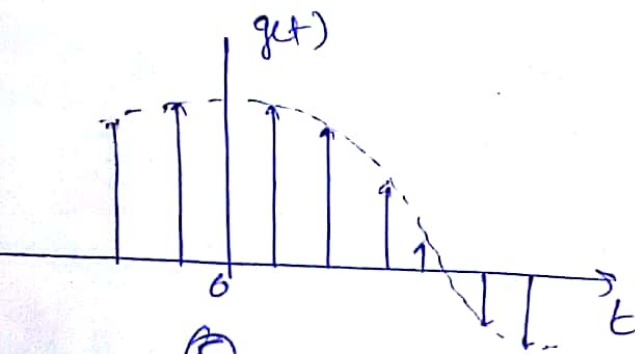
② Spectrum of $x(t)$



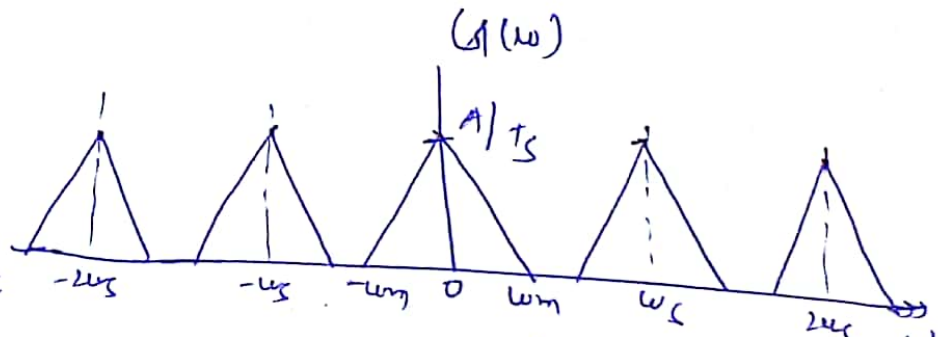
③ Impulse train



④

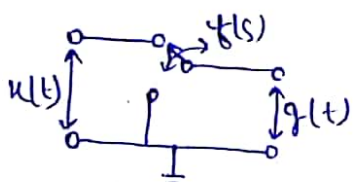
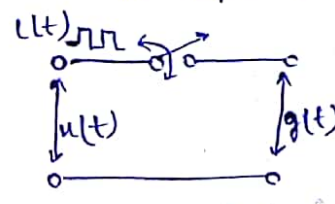
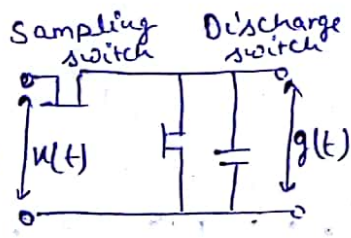
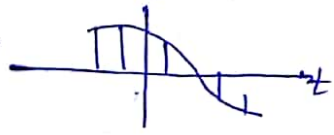




⑤ Sampled signal



⑥ Spectrum of sampled signal

Comparison Between Ideal, Natural ~~Flat~~ Flat Top Sampling

Sr. No. Parameter of Comparison	Ideal Sampling	Natural Sampling	Flat Top Sampling
1. Sampling principle	It uses multiplication	It uses Chopping Principal.	It uses sample and hold circuit
2. Generation circuit			
3. Waveform involved			
4. Sampling rate	Ideal \rightarrow Infinite	Satisfied nyquist criteria	Satisfied nyquist criteria
5. noise interference	max.	min.	max.
6. Time domain representation	$g(t) = \sum_{n=-\infty}^{\infty} \delta(t - nT_s)$ $x(nT_s) \delta(t - nT_s)$	$g(t) = \frac{T_A}{T_s} \sum_{n=-\infty}^{\infty} \text{sinc}(nT_s \tau) e^{j2\pi n f_s t}$ $x(t) \text{sinc}(nT_s \tau) e^{j2\pi n f_s t}$	$g(t) = \sum_{n=-\infty}^{\infty} h(t - nT_s)$ $x(nT_s) h(t - nT_s)$
8. Frequency domain representation	$G(f) = f_s \sum_{n=-\infty}^{\infty} x(f - n f_s)$	$G(f) = \frac{T_A}{T_s} \sum_{n=-\infty}^{\infty} \text{sinc}(n f_s \tau) x(f - n f_s)$	$G(f) = f_s \sum_{n=-\infty}^{\infty} x(f - n f_s) H(f)$

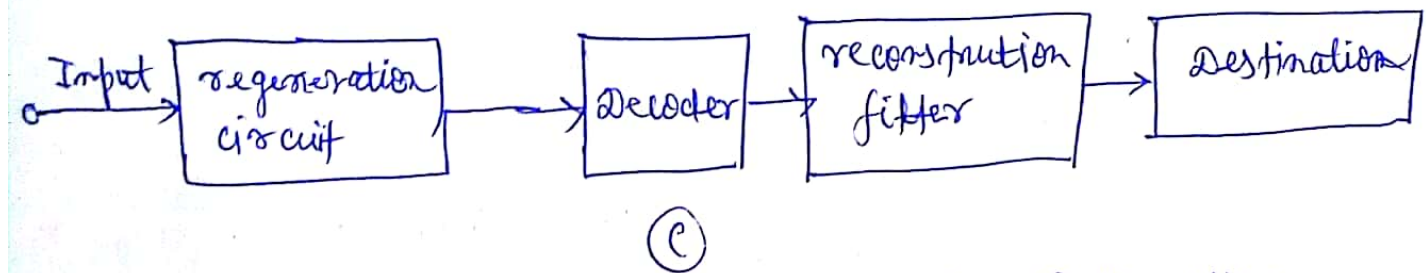
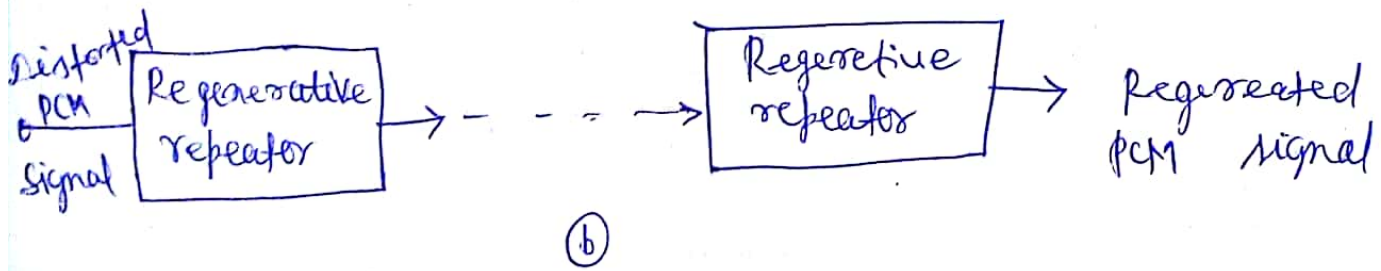
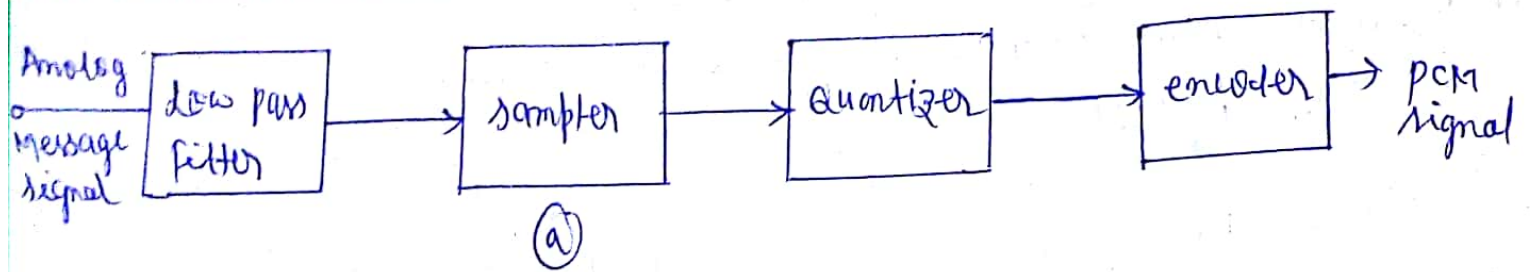
Q.4 Draw the block diagram of PCM system and discuss each block in detail.

Definition

Pulse code modulation is known as digital pulse modulation technique. In fact the pulse modulation code (PCM) is quite complex compared to the analog pulse modulation technique. (i.e. PAM, PWM and PPM) in the sense that the message signal is subjected to a great number of operations.

Element of A PCM System:-

The basic element of PCM system consist of three main part i.e. transmitter, transmission path and receiver. The essential operations in the transmitter of a PCM system are sampling, quantizing and encoding as shown in fig. as essential discussed earlier, sampling is the operation in which an analog (continuous time) signal is sampled according to the sampling theorem resulting in a discrete time signal. The quantizing and encoding operations are usually performed in the same circuit. which is known as an analog-to-digital converter (ADC). Also the essential operations in the receiver are regeneration of impaired signals, decoding and demodulation of the quantized samples. These operation are usually performed in the same circuit which is known as a digital-to-analog converter (DAC).



The basic element of a PCM system @ Transmitter
 (b) Transmission path (c) Receiver.

Receiver regenerative repeaters are reconstruct the transmitted sequence of coded pulses in order to combat the accumulated effect of signal distortion and noise. As discussed in the quantization refer to the use of finite set of amplitude levels and for it. In fact this operation combined with sampling permit the use coded pulse for representing the message signal. Thus it is combine use of quantize- ing and coding that distinguishes pulse code modulation from analog modulation techniques.

Q. 5 Explain the Generation & Detection of QPSK signal with suitable diagrams.

Ans.:- In PSK system, the phase of carrier signal is varied by 180° , thus giving rise to two signals with phase angles of 0° and 180° . In quadrature PSK (QPSK) system, the phase of the system is allowed to vary by 90° , thus giving rise to four signals with phase angles of 0° , 90° , 180° and 270° ; i.e. the signals which are in phase quadrature. The major advantage of QPSK (also known as 'Four-phase PSK') is that the bandwidth requirement is reduced to half of the PSK bandwidth requirement.

The QPSK Transmitter

Figure ~~3.1~~ shows a QPSK transmitter. A clock of frequency f_c and period T_c drives a toggle flip-flop which divides the frequency by 2. The true and false (complemented) outputs drive two separate D flip-flops. The period of both these flip-flops known respectively as even clock and odd clock, is $2T_c$ and the wave-forms are complements of each other. All the three flip-flops are assumed to be negative edge triggered flip-flops.

The input data stream $b(t)$ of bit duration T_b is applied as input to both the D flip-flops. Since the clock period of even clock is $2T_c$ and the D flip-flop (even) is negative edge triggered, only the even numbered bits of the data stream $b(t)$ are held for next $2T_c$ duration. By same reasoning, only the odd numbered bits of the data stream $b(t)$ are held for the next $2T_c$ duration by the D flip-flop (odd). The

output of even and odd D-flip-flops are respectively $b_e(t)$ and $b_o(t)$

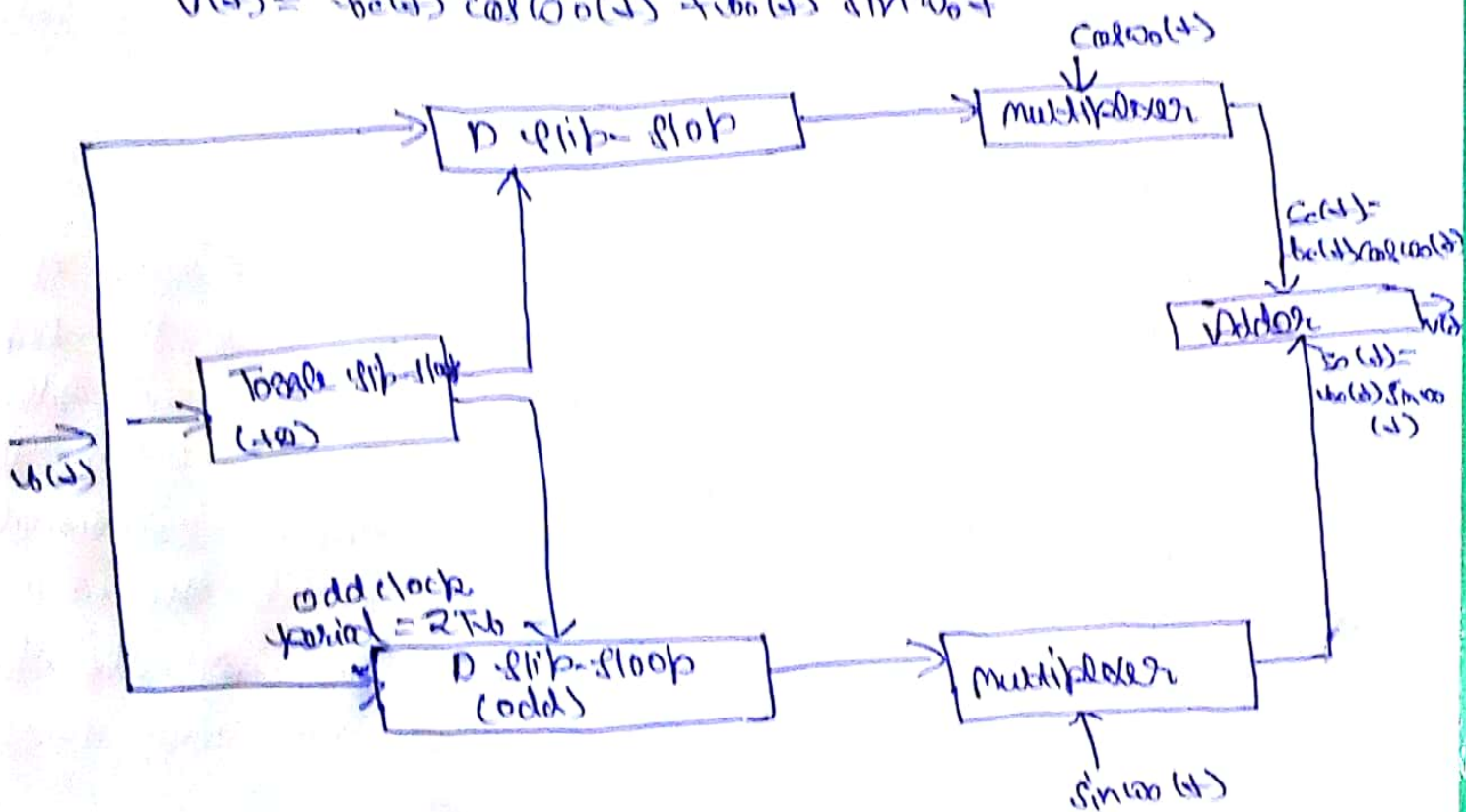
These are multiplied respectively by $\cos(\omega_c t)$ and $\sin(\omega_c t)$

$$s_e(t) = b_e(t) \cos(\omega_c t)$$

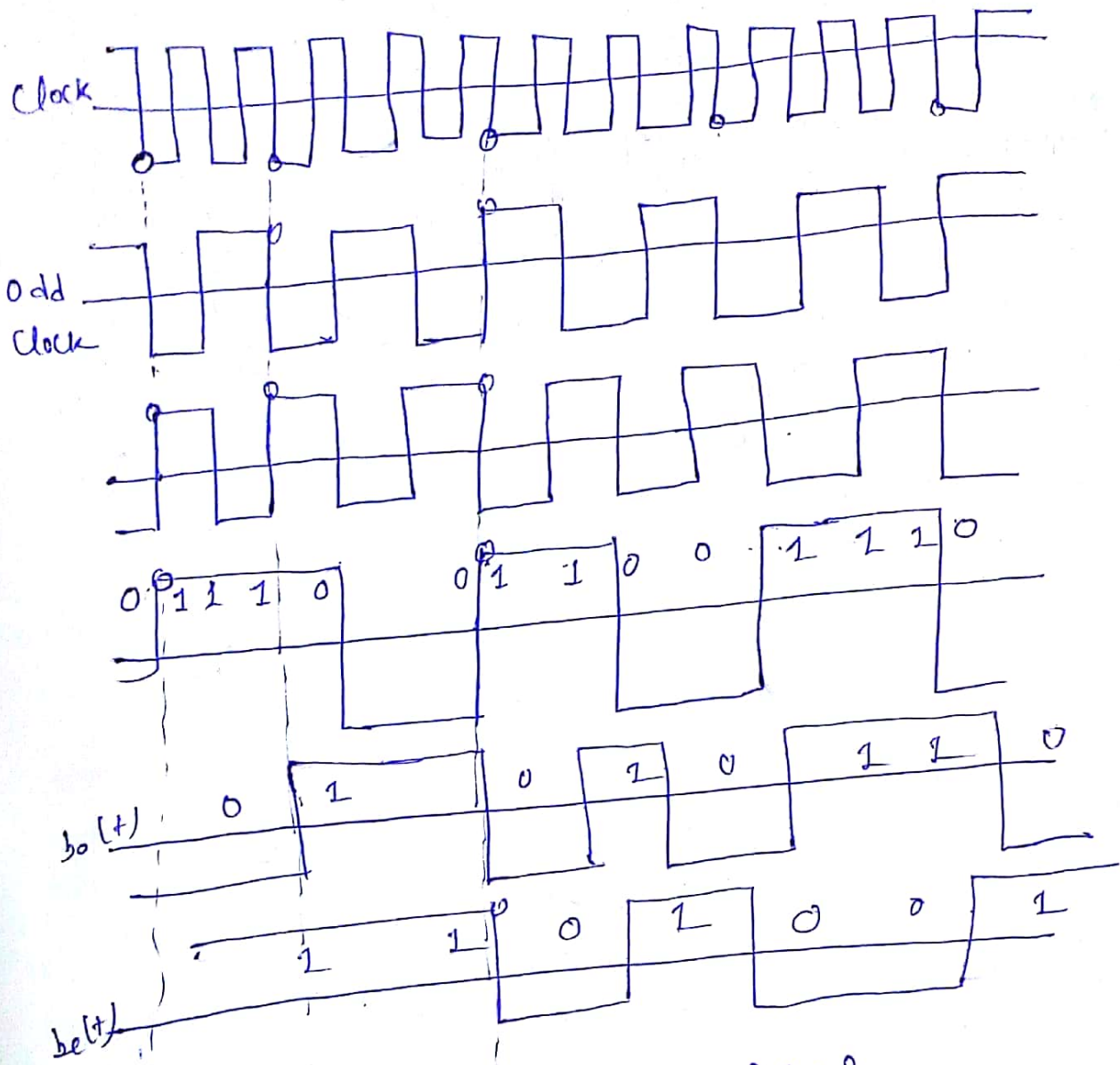
$$s_o(t) = b_o(t) \sin(\omega_c t)$$

$s_e(t)$ and $s_o(t)$ are added where output $v(t)$ is transmitted. Thus

$$v(t) = b_e(t) \cos(\omega_c t) + b_o(t) \sin(\omega_c t)$$



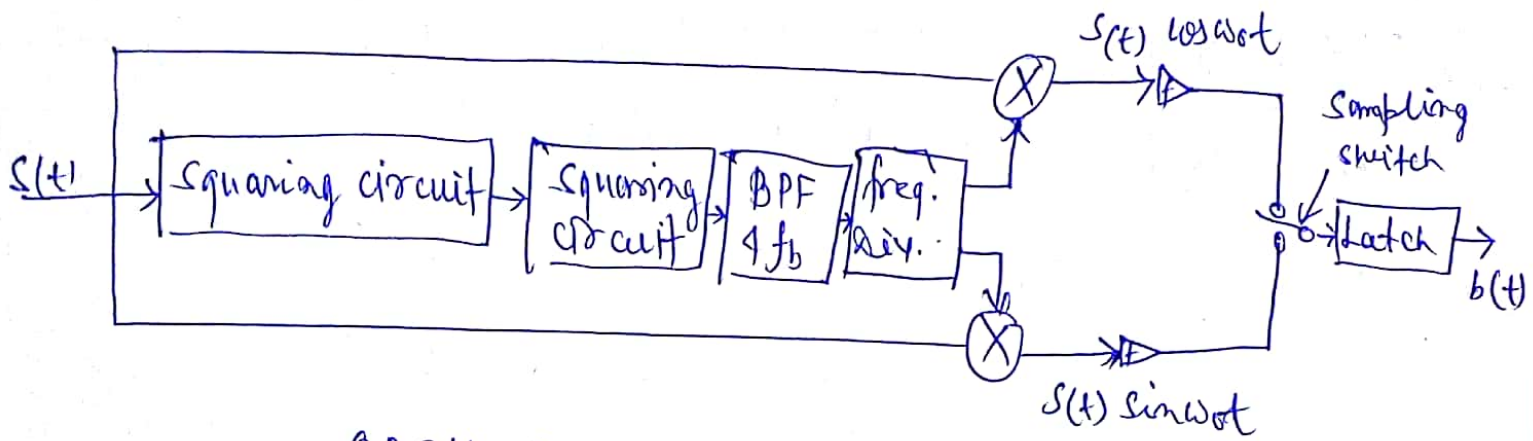
QPSK Transmitter



QPSK Transmitter waveform

The QPSK Receiver :-

The QPSK receiver is shown in fig. As Synchronous detection is required, it is necessary to locally generate two carriers $\cos \omega t$ and $\sin \omega t$. The scheme is similar to that used in PSK receiver. The only difference is that whereas PSK receiver the waveform of twice the carrier frequency was generated using a squaring circuit the BPF of a π and frequency divider ($\pi/2$) were placed by two cascaded squaring circuits then the BPF of $\omega/2$ and frequency divider give the two carrier frequencies $\cos \omega t$ and $\sin \omega t$.



O-PSK Receiver